I. For the following data: 1, -7, -5, 10, 0 compute the following

 1. THE MEAN\_\_\_\_\_
 2. THE MEDIAN\_\_\_\_\_

3. THE RANGE \_\_\_\_\_\_ 4. THE VARIANCE \_\_\_\_\_

5. THE STANDARD DEVIATION \_\_\_\_\_

**II**. FOR THE GIVEN PROBABILITY DISTRIBUTION, FIND THE FOLLOWING:

X	-6	-4	3	5
P(X)	.35	.2	у	.15

6. FIND THE MISSING PROBABLILITY VALUE, y.

7. THE EXPECTED VALUE,  $\mu$  \_\_\_\_\_

8. THE STANDARD DEVIATION,  $\sigma$  \_\_\_\_\_

**III**. USE THE BINOMIAL TABLE.

9. GIVEN: n = 7, p = .30 FIND P(X = 5)\_\_\_\_\_

10. GIVEN: n = 15, p = .65 FIND P(X > 11) \_\_\_\_\_

11. GIVEN: n = 14, p = .75 FIND P(X < 12) \_\_\_\_\_

12. GIVEN: n = 8, p = .2 FIND P(X is at least 1) \_\_\_\_\_

13. GIVEN: n = 19, p = .85 FIND P(X is less than 16)

14. GIVEN: n = 13, p = .55 FIND  $P(4 \le X < 8)$  \_\_\_\_\_

III. Assume that 90% of all statistics instructors are considered strikingly handsome and endearingly charming. (I realize the actual percentage is higher than that, but work with me on this.) suppose we take a random sample of 15 statistics instructors. Find the probability that the number that are strikingly handsome and endearingly charming will be:

15. EXACTLY 15 \_\_\_\_\_

- 16. LESS THAN 12 \_\_\_\_\_
- 17. AT MOST 10 \_\_\_\_\_

18. BETWEEN 10 AND 14 (INCLUDE BOTH ENDPOINTS)

19. WHAT IS THE EXPECTED VALUE?

20. WHAT IS THE STANDARD DEVIATION? \_\_\_\_\_

**V**. SUPPOSE THAT FORTY PERCENT OF MARRIED COUPLES AGREE WITH A CERTAIN METHOD OF CHILD DISCIPLINE. OUT OF 18 COUPLES SURVEYED, WHAT IS THE PROBABILITY THAT FEWER THAN HALF OF THEM AGREE WITH THE METHOD?

VI. SUPPOSE NEW TELEVISION PROGRAMS HAVE A 20% CHANCE OF BEING RENEWED FOR THE SECOND SEASON. IF A NETWORK INTRODUCES 12 NEW SHOWS, FND THE PROBABILITY THAT:

22. THE NUMBER RENEWED IS FEWER THAN HALF

23. THE NUMBER RENEWED IS MORE THAN TWO.

24. THE NUMBER RENEWED IS BETWEEN 3 AND 6 (INCLUDE THE ENDPOINTS.)

25. AT LEAST ONE SHOW IS RENEWED.