NOTE THAT THE SYMBOL " • " REPRESENTS DOT PRODUCT

AND THE SYMBOL " \times " REPRESENTS CROSS PRODUCT.

II. FOR THE VECTORS $\vec{v} = \langle -3,4 \rangle$ & $\vec{w} = \langle -6,-2 \rangle$ compute the indicated items, showing all
YOUR WORK. IN A NEAT AND ORDERLY FASHION.
1. $\ \vec{w}\ $
$25\vec{v} - 4\vec{w}$
3. $\left\ \vec{v} + \vec{w} \right\ $

II. FOR THE VECTORS $\vec{v} = -2\vec{i} + 8\vec{j}$, $\vec{w} = 8\vec{j}$ & $\vec{t} = 4\vec{i} - \vec{j}$ COMPUTE THE INDICATED ITEMS, SHOWING ALL YOUR WORK. IN A NEAT AND ORDERLY FASHION. 4. $\vec{w} \cdot \vec{t}$ 5. $(\vec{v} \cdot \vec{w})\vec{t}$ 6. $\vec{t} \cdot \vec{0}$ 7. Find θ , the angle between vectors \vec{v} & \vec{t} . Express your answer in DEGREES, rounded to one decimal place. 8. Find a unit vector in the same direction as vector \vec{v}

9. Present a computation to determine whether the vectors $\vec{w} \& \vec{t}$ are orthogonal

III. FOR THE VECTORS $\vec{v} = 5\vec{i} - 2\vec{j} - 3\vec{k}$ $\vec{w} = -\vec{i} + \vec{j} - 3\vec{k}$ $\vec{t} = 2\vec{i} - \vec{k}$, COMPUTE THE INDICATED ITEMS, SHOWING ALL YOUR WORK IN A NEAT AND ORDERLY FASHION.

10. $\left\| \vec{v} - \vec{w} \right\|$

11. $2\vec{t} \bullet 3\vec{w}$

12. $\vec{v} \times \vec{w}$

13. FIND A VECTOR WHICH IS ORTHOGONAL TO BOTH \vec{w} AND \vec{t} .

14. FIND θ , the angle between vectors $\vec{v} \& \vec{t}$. Express your answer in DEGREES, rounded to one decimal place.