

Financial Formulas

Simple Interest: P is the present value or loan amount, A is the future value or total amount, r is the annual interest rate as a decimal, t is the time in years, and I is the simple interest earned.

Interest	Future Value	Present Value	Interest Rate	Time
$I = Prt$	$A = P(1 + rt)$	$P = \frac{A}{1 + rt}$ OR $P = \frac{I}{rt}$	$r = \frac{I}{Pt}$ OR $r = \frac{A - P}{Pt}$	$t = \frac{I}{Pr}$ OR $t = \frac{A - P}{Pr}$

Compound Interest: P is the present value or loan amount, A is the future value or total amount, r is the annual nominal interest rate as a decimal, m is the number of compounding periods per year, n is the total number of compounding periods, I is the compound interest earned, t is the time in years, and i is the interest rate per compounding period.

Interest Rate per Period	Future Value	Interest Earned	Present Value	Effective Rate
$i = \frac{r}{m}$ OR $i = \sqrt[n]{\frac{A}{P}} - 1$	$A = P(1 + i)^n$ OR $A = P\left(1 + \frac{r}{m}\right)^{mt}$	$I = P\left[(1 + i)^n - 1\right]$ OR $I = P\left[\left(1 + \frac{r}{m}\right)^{mt} - 1\right]$	$P = \frac{A}{(1 + i)^n}$ OR $P = \frac{A}{\left(1 + \frac{r}{m}\right)^{mt}}$	$r_{\text{effective}} = \left(1 + \frac{r}{m}\right)^m - 1$
Number of Compounding Periods	Time in Years			
$n = \frac{\log\left(\frac{A}{P}\right)}{\log(1 + i)}$	$t = \frac{\log\left(\frac{A}{P}\right)}{m \cdot \log(1 + i)}$			

Ordinary Annuity: Pmt is the payment, FV is the future value, PV is the present value, i is the interest rate per period as a decimal, n is the total number of payments, m is the number of payments per year, and t is the amount of time in years.

Future Value	Payment or Sinking Fund	Present Value
$FV = Pmt \left[\frac{(1 + i)^n - 1}{i} \right]$	$Pmt = FV \left[\frac{i}{(1 + i)^n - 1} \right]$	$PV = Pmt \left[\frac{1 - (1 + i)^{-n}}{i} \right]$
Total Number of Payments	Time in Years	
$n = \frac{\log\left(\frac{FV}{Pmt} \cdot i + 1\right)}{\log(1 + i)}$	$t = \frac{\log\left(\frac{FV}{Pmt} \cdot i + 1\right)}{m \cdot \log(1 + i)}$	

Amortization: PV is the loan amount, Pmt is the payment, Bal is the approximate remaining balance on the loan, i is the interest rate per period as a decimal, n is the total number of payments, $IPmt$ is the approximate interest portion of a payment, $PPmt$ is the approximate principal portion of a payment, I is the approximate total interest paid, m is the number of payments per year, t is the time in years, and k is a payment number.

Payment	Approximate Remaining Balance after the k^{th} Payment	Approximate Interest Portion of the k^{th} Payment
$Pmt = PV \left[\frac{i}{1 - (1 + i)^{-n}} \right]$	$Bal = \frac{Pmt}{\text{unrounded}} \left[\frac{1 - (1 + i)^{k-n}}{i} \right]$ <p style="text-align: center;">OR</p> $Bal = PV \left[\frac{1 - (1 + i)^{k-n}}{1 - (1 + i)^{-n}} \right]$	$IPmt = \frac{Pmt}{\text{unrounded}} \left[1 - (1 + i)^{k-1-n} \right]$ <p style="text-align: center;">OR</p> $IPmt = i \cdot PV \left[\frac{1 - (1 + i)^{k-1-n}}{1 - (1 + i)^{-n}} \right]$

Approximate Principal Portion of the k^{th} Payment	Loan Amount	Approximate Number of Payments
$PPmt = Pmt - \frac{Pmt}{\text{unrounded}} \left[1 - (1 + i)^{k-1-n} \right]$ <p style="text-align: center;">OR</p> $PPmt = i \cdot PV \left[\frac{(1 + i)^{k-1-n}}{1 - (1 + i)^{-n}} \right]$	$PV = Pmt \left[\frac{1 - (1 + i)^{-n}}{i} \right]$	$n = \frac{\log \left(\frac{Pmt}{Pmt - PV \cdot i} \right)}{\log(1 + i)}$

Approximate Time in Years	Approximate Total Interest Paid	Approximate Payment Number for a Remaining Balance
$t = \frac{\log \left(\frac{Pmt}{Pmt - PV \cdot i} \right)}{m \cdot \log(1 + i)}$	$I = n \cdot Pmt - PV$ <p style="text-align: center;">OR</p> $I = PV \left[\frac{ni}{1 - (1 + i)^{-n}} - 1 \right]$	$k = n + \frac{\log \left(1 - \frac{Bal \cdot i}{\frac{Pmt}{\text{unrounded}}} \right)}{\log(1 + i)}$