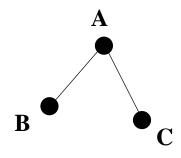
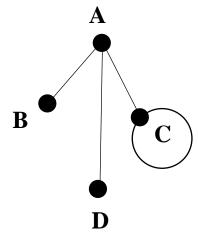
## **Graph Theory:**

A graph consists of a set of points called the <u>vertices</u>, and a set of segments or curves called the <u>edges</u> that connect one vertex to another. An edge that connects a vertex to itself is called a <u>loop</u>.

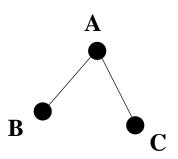
## **Examples:**

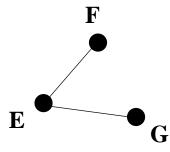


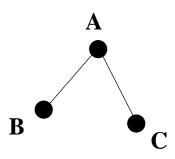


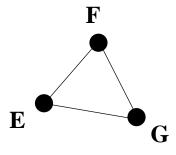
## **Equivalent Graphs:**

Two graphs are equivalent if they have the same number of vertices connected in the same way.









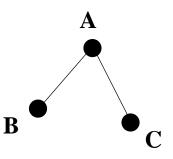
## **Degree of a Vertex:**

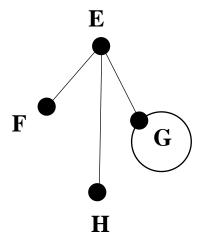
It's the number of edges at the vertex. Loops count as 2 edges at a vertex.

# **Examples:**

Vertex	Degree
A	
В	
С	

Vertex	Degree
E	
F	
G	
Н	





## **Even Vertex:**

It's a vertex with an even degree.

## **Odd Vertex:**

It's a vertex with an odd degree.

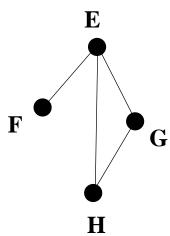
## **Adjacent Vertices:**

It's a pair of vertices that are connected by at least one edge.

**Odd vertices:** 

**Even vertices:** 

**Adjacent vertices:** 

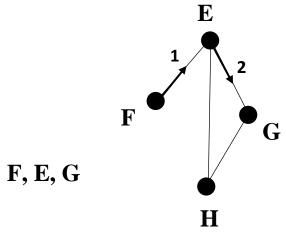


## Path:

It's a sequence of adjacent vertices and the edges that connect them. A vertex can

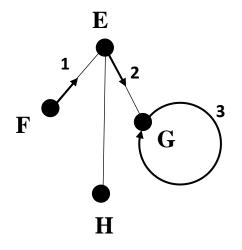
appear more than once, but an edge can only be used once.

## **Examples:**



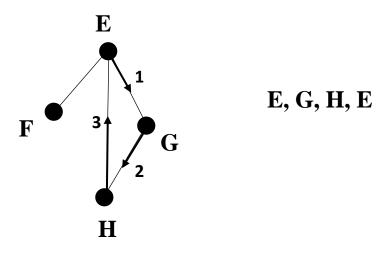
**F**, **E**, **G**, **G** 





# **Circuit:**

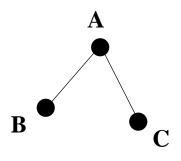
It's a path that begins and ends at the same vertex.

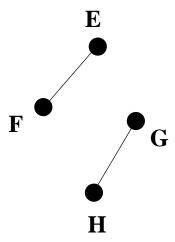


## **Connected Graph:**

It's a graph in which any two vertices can be connected by a path. In other words, the graph consists of one piece. A graph that is not connected is said to be <u>disconnected</u>.

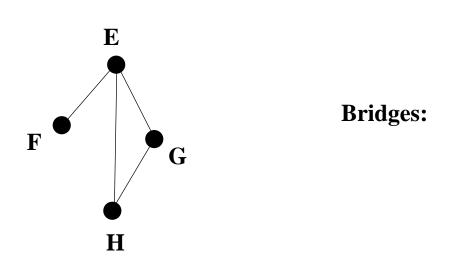
#### **Examples:**



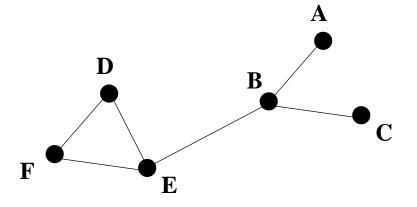


## **Bridge:**

It's an edge in a connected graph that if removed would leave a disconnected graph.



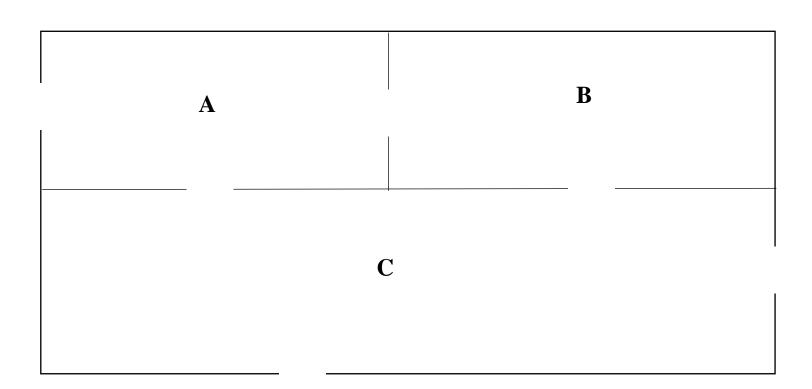




**Bridges:** 

## **Graphs as Models:**

Model the building floorplan using vertices as rooms and the exterior and edges for connecting doorways.



A B ●

