Due at the beginning of class on the day of the Final Exam

Direction: Solve the problems in this worksheet on separate sheets of paper. Write your solution neatly. Use standard size paper. Clearly label each problem, and include each problem in the correct order. No ragged edges. Staple multiple pages. At the top of the first page put your name, Math 2414, and the title of the worksheet. Show all work to justify your answer. Answer with insufficient work will receive no credit.

Prob	len	n 1	: Sk	etcl	h a	\mathbf{cur}	ve o	lesc	rib	ed l	ру I	oara	ame	tric	eq	uati	ons												
Sketcl	h t	he d	urv	e de	scri	oe b	y tł	ne p	araı	$_{ m netr}$	ic e	qua	tion	s, ir	dica	ite t	he	dire	ctior	ı in	whi	ch 1	the	curv	e is	tra	ced	as t	he
paran	nete	er in	icrea	ases	and	fine	i th	e re	ctan	gula	r eç	uat	ion 1	by e	limi	nati	ng t	he p	barai	nete	er.								
1.	<i>x</i> =	= 2t	- 3	u =	= 3t -	+ 1				2.	r =	t +	1. u	$=t^{t}$	2					3. x	= 8	cos	θ . u	= 8	sin (9.0·	$< \theta$	$\leq 2\tau$	τ
	~		Ŭ	9							~	~	-,9	Ŭ							Ŭ		$^{\circ}, g$	Ŭ		, • .			

Pro	bleı	m 2	: El	imi	nate	e th	e p	arai	met	\mathbf{er}																	
Elim	inat	te tł	ne p	aran	neter	r to	find	the	rec	tang	gular	· eq	uati	on fe	or tł	ne ci	urve.	Ide	entify	y tł	ne ci	ırve					
													0									24		+			
1.	x =	= 4	+20	$\cos \theta$, y =	=]	+s	$\ln \theta$		2.	x =	$4 \mathrm{se}$	$c \theta, g$	y =	3 tai	nθ			3	. <i>x</i>	= e	z^{ι}, y	= e	ι			

:	Pro	ble	\mathbf{m}	3:	Fi	nd a	a de	eriv	ativ																			
-	Find	1 <u>dı</u>	$\frac{1}{1}$ fc	or t	he	curv	re gi	ven	bv ·	the '	para	met	ric (ans	tior	s												
		da					~ 8.		~,		Juic			- Jun														
	1	. <i>x</i>	= :	$t^{2},$	<i>y</i> =	- 7 -	- 6t										2. a	c = s	\sin^2	heta, y	= c	$\cos^2 \theta$)					

]	Pro	bler	n 4	: Fi	nd s	\mathbf{slop}		nd	\mathbf{con}	cavi	ity																
1	Find	dy	and	d^2y	an	d fin	d tl	ام دا	lone	and	cor	Cav	itv c	of th	0.01	ITVO	at t	ho a	rivor	no	int						
	IIIG	dx	and	dx^2	an	u 111	u 11	10 51	ope	and		icav.	ity (1 011		u ve	aut	ne g	,1 V C I	r po							
	1.	<i>x</i> =	= t -	- 1,	y =	$t^{2} +$	-3t,	t =	-1							2. <i>x</i>	:=	\cos^3	θ, y	= s	$ in^3 \epsilon $	θ, θ	$=\frac{\pi}{4}$				

Prol	oler	n 5:	Ho	oriz	onta	al a	nd	Vert	tica	l Ta	nge	ent	\mathbf{Lin}													
Find	all	poir	nts a	t w	hich	the	tan	gent	line	e to	the	par	ame	tric	cur	ve is	hori	zon	tal	or v	erti	cal.				
		- .9				.3									2					• 4						
1.	<i>x</i> =	= t2	-t	+2,	<i>y</i> =	: t ^o -	-3t								2. x	= 0	$\cos \theta$,	<i>y</i> =	= 2 s	sin(!	$2\theta)$					

Probler	n 6: Find	arc leng	gth						
Find the	arc length	of the c	urve on th	e given interval					
		.2				+		-	
1. <i>x</i> =	$= 6t^{2}, y = 2$	$2t^{\circ}, 1 \leq t$	≤ 4		2. $x = e^{-1}$	$\cos t, y = e^{-t}$	$\sin t, \ 0 \le t \le$	$\frac{n}{2}$	Γ

Prol	blen	n 7:	Fi	nd s	surf	ace	are	ea																					
Find	the	are	a of	the	sur	face	ger	erat	ed ł	y re	evol	ving	the	cur	veat	out	the	giv	en a	xis.									
					0										0		_	0			0 0			π 1					
1.	<i>x</i> =	= 2t,	y =	= 3t	, 0 <u>≤</u>	$t \leq$	38	ibou	t <i>x</i> -	axıs	anc	l y-a	IXIS		2. <i>x</i>	: = ;	$\cos \cos \theta$	θ, y	y = b	o sin	θ, ί	$\leq t$	$l \leq l$	$\frac{\pi}{2}$ at	oout	the	y-a	X1S	